

09-22-05

Chpt 2 test starts here

## Measurement

★ can only use a sci. [non-graphing] calc.

→ mass - grams (g)

→ length - meters (m)

→ volume - litre (L)

→ time - seconds (s)

↳  $l \times w \times h \rightarrow \text{cm}^3$

g, m, s → fundamental units



→ density -  $\left(\frac{\text{mass}}{\text{volume}}\right)$

volume, density → derived units

→ all units apply to SI system

## Base Units

larger ← → smaller

Tera (T)	Giga (G)	Mega (M)	Kilo (K)	hecto (h)	deca (da)	gram (g)	deci (d)	centi (c)	milli (m)	micro (μ)	nano (n)	pico (p)	cento (o)
$1 \times 10^{12}$	$1 \times 10^9$	$1 \times 10^6$	$1 \times 10^3$	$1 \times 10^2$	$1 \times 10^1$	$1 \times 10^0$	$1 \times 10^{-1}$	$1 \times 10^{-2}$	$1 \times 10^{-3}$	$1 \times 10^{-6}$	$1 \times 10^{-9}$	$1 \times 10^{-12}$	$1 \times 10^{-15}$
$1 \times 10^{12}$	$1 \times 10^9$	$1 \times 10^6$	0.001	0.01	0.1	1 g	10 dg	100 cg	1,000 mg	$1 \times 10^6 \mu\text{g}$	$1 \times 10^9 \text{ ng}$	$1 \times 10^{12} \text{ pg}$	$1 \times 10^{15} \text{ fg}$
Tg	Gg	Mg	kg										

Greek letter "mu"

Most of time in class will be working w/ these units.

## Factor Labeling / Unit conversions

• 90 mL = ? dL      so...

$$90 \text{ mL} \cdot \frac{1 \text{ dL}}{10,000 \text{ mL}} = \boxed{0.009 \text{ dL}}$$

• 7 kJ = ? CJ

$$7 \text{ kJ} \cdot \frac{(10^3 \times 1)}{100,000 \text{ CJ}} = \boxed{7 \times 10^5 \text{ CJ}}$$

J (joules) →  
measures heat E.

09-23-05

Metric  $\rightarrow$  English conversions

• Length  $\rightarrow$

•  $2.54 \text{ cm} = 1 \text{ in.}$

•  $1 \text{ m} = 39.37 \text{ in.}$

• mass  $\rightarrow$   $1.0 \text{ kg} = 2.2 \text{ lbs.}$

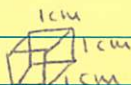
$454 \text{ g} = 1 \text{ lb}$

• Volume  $\rightarrow$

•  $1 \text{ gallon} = 3.78 \text{ L}$

$\rightarrow$  for volume

$1 \text{ mL} = 1 \text{ cm}^3 (1 \text{ cc})$



$\rightarrow$  only exactly one mL.

• Temperature

•  $F \leftrightarrow C$

$\rightarrow$

$1.8 C = F - 32$

(1.8 celsius = fahrenheit - 32)

•  $C \leftrightarrow K$

(kelvin)

$\rightarrow$

$K = C + 273.15$

Example

$21.7 \frac{\text{mL}}{\text{hr.}} = ? \frac{\text{m}}{\text{s}}$

$21.7 \frac{\text{mL}}{\text{hr}} \times \frac{5280 \text{ ft}}{1 \text{ mile}} \times \frac{12 \text{ in.}}{1 \text{ ft}} \times \frac{1 \text{ (m)}}{39.37 \text{ in}} \times \frac{1 \text{ hr}}{60 \text{ min}} \times \frac{1 \text{ min}}{60 \text{ (sec)}} = \frac{1374912}{141732}$

$\rightarrow 9.7008 \frac{\text{m}}{\text{s}}$



09-26-05

• Heat & Temperature → both deal w/ E.

Heat - measures the total KE in a sample. (size affects it). → measured in Joules (J).

Temperature - measures the average KE in a sample. → measure directly (ie w/ thermometer)

• heat → ~~it~~ can not be measured directly.

- one of the ways we can measure heat → specific heat ( $C_p$ ) - amount of E it

takes to raise 1 g of substance  $1^\circ\text{C}$ .

$$C_{\text{H}_2\text{O}} = 4.18 \frac{\text{J}}{\text{g}^\circ\text{C}}$$

\*not a  
cold →  
relative  
terms

09-28-05

## Accuracy, Precision & Significant Numbers

• accuracy - how close one's observed value is to the actual value.

→ relies a lot on equipment one is using.

• precision (repeatability) - agreement among numeric values obtained.

- example → always seen → darts.

• Significant Figures → 4 steps.

1) all non zero digits are significant. → ex  $\begin{matrix} 12 \\ 17 \end{matrix}$  } both have 2 significant digits.

2) zeros between non zero digits are significant → ex  $\begin{matrix} 101 \\ 10001 \end{matrix}$  → 3 sig. figs. / 6 sig. figs.

→ "a zero sandwich"

3) a. zeros to the right of non zero digit but left of an understood decimal place are NOT significant. → ex  $\begin{matrix} 100 \\ 1900 \end{matrix}$  → 1 sig. fig. / 2 sig. figs.

b. if there is a decimal, all are significant. → ex  $\begin{matrix} 100. \\ 1900. \\ 5.0 \end{matrix}$  → 3 sig. figs. / 4 sig. figs. / 2 sig. figs.

4) a. for #  $\geq 1$ , all zeros to the left of the first non zero digit are NOT significant. ex.  $\begin{matrix} 0.000124 \\ 0.0381 \end{matrix}$  → 3 sig. figs. / 3 sig. figs. → in sci. notation  $\rightarrow 1.24 \times 10^{-4}$

b. for #  $< 1$ , all zeros right of last non zero digit are significant. ex.  $\begin{matrix} 0.001210 \\ 0.100 \end{matrix}$  → 4 sig. figs. / 3 sig. figs.

★ round to least value of significant numbers.

- no "dorming rounding".



09-30-05

• Proportions → direct vs. ~~inverse~~ <sup>inverse</sup>

direct proportion - as  $x \uparrow$ ,  $y \uparrow$  proportionately (related by a constant) (K)

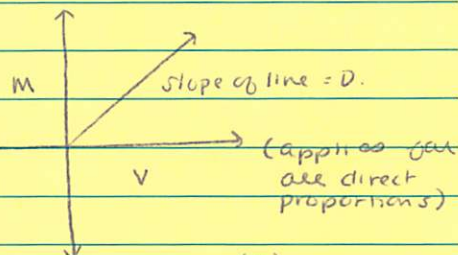
$$x \propto y$$

↑  
is proportionate to

$$x = Ky$$

ex.  $E = h\nu$

ex.  $m = D V$  (usually seen as  $D = \frac{m}{V}$ )

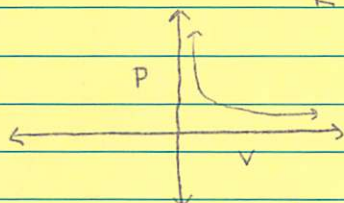


★

• Inverse proportions - as  $x \uparrow$ ,  $y \downarrow$  proportionately. (related by a constant) (K)

→ seen with volume & pressure of gases. →  $V \downarrow$ ,  $P \uparrow$  ;  $V = \frac{K}{P}$  ;  $V = \frac{1}{P} K$

→  $K \rightarrow$  different for every temperature.



• Density

→  $D = \frac{m}{V}$

ex a rock has a mass of 60.0 gms. & a volume of 20.0 mL

→ what's the density?

→  $D = \frac{m}{V} = \frac{60.0 \text{ g}}{20.0 \text{ mL}} = 3.00 \text{ g/mL}$

(3 sig figs) (3 sig. figs)

★ always go to the least # of sig. figs. ★

manipulations of D. formula...

$m = DV$  &  $V = \frac{m}{D}$

• Volume of a cylinder →  $\pi r^2 h$

-  $\pi r^2$  or  $\pi s^2 \rightarrow lwh$

- or w/ water displacement.